On the Selection of Strength for Fixed-strength Interaction Coverage Based Prioritization

Rubing Huang*, Weiwen Zong*, Tsong Yueh Chen‡, Dave Towey‡, Jinfu Chen*, Yunan Zhou*, Weifeng Sun*

*School of Computer Science and Communication Engineering, Jiangsu University, Zhenjiang 212013, P.R. China
†Department of Computer Science and Software Engineering, Swinburne University of Technology, Hawthorn 3122, Australia
‡School of Computer Science, University of Nottingham Ningbo China, Ningbo 315100, P.R. China
dave.towey@nottingham.edu.cn

Abstract—Abstract test cases are derived by modeling the system under test, and have been widely applied in practice, such as for software product line testing, and combinatorial testing. Abstract test case prioritization (ATCP) is used to prioritize abstract test cases, and aims at achieving higher rates of fault detection. Many ATCP algorithms have been proposed, using different prioritization criteria and information. One ATCP approach makes use of fixed-strength level-combinations information covered by abstract test cases, and is called fixed-strength interaction coverage based prioritization (FICBP). Before using FICBP, the prioritization strength λ needs to be decided. Previous studies have generally focused on λ values ranging between 1 and 6. However, no study has investigated the appropriateness of such a range, nor how to assign the prioritization strength for FICBP. To answer these questions, this paper reports on an empirical study involving four real-life programs (each of which with six versions). The experimental results indicate that λ should be set approximately equal to a value corresponding to half of the number of parameters, when testing resources are sufficient. Our results also show that when testing resources are limited or insufficient, either small or large λ values are suggested for FICBP.

Index Terms—Software testing; abstract test case prioritization; FICBP; prioritization strength; empirical study.

I. INTRODUCTION

A system under test can generally be influenced by many parameters or factors, such as environment variables, input parameters, and so on. Each such parameter may contain a finite number of levels or values. Combinations of parameter levels are called abstract test cases (ATCs) [1] or model inputs [2]. Abstract test cases have been widely used in many testing environments, including in software product line testing [3], and combinatorial testing [4]. Due to limited testing resources, for example when conducting regression testing, ATC prioritization (ATCP) can be employed by reordering elements in the given test suite, with the goal of executing those ATCs that are more likely to detect failures.

Many ATCP methods have been proposed according to different intuitions [5], such as test case similarity based ATCP [3, 6]. A well-studied ATCP that uses information of level-combinations coverage of a fixed strength λ (called prioritization strength) directly obtained from ATCs themselves is fixed-strength interaction coverage based prioritization (FICBP) [7]. FICBP repeatedly chooses an element from candidate ATCs as the next test case such that it covers the largest number of λ-wise level combinations that have not yet been covered by previously selected test cases. Many studies have shown that FICBP is an effective method for prioritizing ATCs [7–9].

Intuitively speaking, FICBP needs to assign a fixed value for the prioritization strength λ that is usually between 1 and 6 (inclusive) [7–11]. To the best of our knowledge, however, no study has yet examined whether or not these λ values are the most appropriate. In this paper, we report on an empirical investigation into FICBP with all possible prioritization strength values for the programs under test. For example, when the test object has k parameters, the assignment of λ ranges between 1 and k. The investigation involved four widely-used programs written in C, each of which has six versions, to compare the testing effectiveness and efficiency of FICBP techniques with different prioritization strengths. In addition to the rate of interaction coverage, we also studied the rate of fault detection, and the prioritization cost.

In summary, the main contributions of this paper are:

- We report on an empirical study to investigate the selection of prioritization strength assigned for FICBP.
- We report on an investigation into the testing effectiveness and efficiency of FICTP with all possible prioritization strength values, in terms of interaction coverage rate, fault detection rate, and prioritization cost.
- We present some guidelines for testers about how to choose the prioritization strength for FICBP under different testing scenarios.

The rest of this paper is organized as follows: Section II introduces some background information. Section III presents details of the empirical study, and Section IV discusses some potential threats to validity. Finally, Section V concludes the paper, and discusses potential future work.

II. BACKGROUND

Some background information about parameter-level models and test case prioritization is introduced in this section.
A. Factor-Level Model

The parameter-level model is used to model the system under test (SUT), describing information about the parameters and levels.

Definition 1: A parameter-level model, Model(F, L, C), is the model of the SUT, where F = {f₁, f₂, · · · , fₖ} is the set of k impact parameters, L = {L₁, L₂, · · · , Lₖ} is a set of k parameter-level sets such that each Lᵢ corresponds to each fᵢ (i = 1, 2, · · · , k), and C is a set of constraints among different parameter levels.

Since the specific levels of each parameter have no impact on the model, without loss of generality, we can use an abbreviated version of the model in this paper: Model(|L₁| |L₂| · · · |Lₖ|, C).

Definition 2: An abstract test case, denoted (l₁, l₂, · · · , lₖ), is a k-tuple, where lᵢ ∈ Lᵢ (i = 1, 2, · · · , k).

An ATC is also a test case, but not a concrete one. An ATC is said to be valid if C is satisfied (i.e., if all the model constraints are satisfied).

Definition 3: A η-wise level combination is a η-tuple φ = (l₁, l₂, · · · , lₙ), where lᵢ ∈ Vᵢ (j = 1, 2, · · · , η), 1 ≤ lᵢ < lᵢ₊₁ < · · · < lₙ ≤ k, and 0 ≤ η ≤ k.

In general, a η-wise level combination is also called a η-level schema [4], with η being the size of the combination. Similarly, a η-wise level combination is said to be valid if it satisfies all constraints in C. When η = k, a η-wise level combination is an ATC for the SUT. An ATC tc = (l₁, l₂, · · · , lₖ) can cover a η-wise level combination φ = (l′₁, l′₂, · · · , l′ₙ), if and only if for 1 ≤ j ≤ η, lᵢ = ljaw, i.e., the levels of the parameter fᵢ are identical in tc and φ. Obviously, each ATC could cover Cₖ η-λ-wise level combinations. For ease of description, we define a term Ψ(η, tc) as the set of η-wise level combinations covered by the test case tc. Similarly, we define a term Ψ(η, T) as the set of η-wise level combinations covered by all test cases in T, i.e., Ψ(η, T) = ∪tc∈T Ψ(η, tc).

B. TCP and FICBP

Test case prioritization (TCP) is used to schedule test cases in an order, so that, according to some criteria (e.g., condition coverage), test cases with higher priority are executed as early as possible. A well-prioritized test suite may improve the likelihood of detecting faults faster, which can be very important when testing resources are limited. The problem of TCP can be defined as [12]:

Definition 4: Given (T, Ω, g), where T is a set of test cases, Ω is the set of all prioritized test suites obtained by permuting test cases of T, and g is a function from a prioritized test suite to an award value, the problem of TCP is to find an S ∈ Ω such that:

\[ \forall S' (S' \in \Omega \land S' \neq S) [g(S) \geq g(S')] \]

Applying TCP to ATCs is called ATC Prioritization (ATCP) [5]. The most well-studied ATCP algorithm is fixed-strength interaction coverage based prioritization (FICBP) [7], which greedily chooses each element as the next ATC such that it covers the largest number of λ-wise level combinations that have not yet been covered by previously selected ATCs. The detailed information of FICBP is given in Algorithm 1.

An important aspect of the FICBP algorithm is that it is necessary to assign a value to the prioritization strength (λ) parameter in advance.

III. EMPIRICAL STUDY

This section reports on an empirical study conducted to evaluate the testing effectiveness and efficiency of FICBP with different prioritization strengths.

A. Research Questions

The following two research questions motivated the empirical study.

RQ1: Which prioritization strength for FICBP results in the best testing effectiveness? The answer to this question will help us to decide which level of interaction coverage information to use for FICBP.

RQ2: How do the testers choose the appropriate prioritization strength for FICBP in different testing environments? The answer to this question will help us decide the most appropriate prioritization strength to use when facing different testing scenarios. Although it would obviously be very convenient if the cheapest level could deliver the most effective result, even if this is not the case, we would still like to know the best option to choose.

B. Subject Programs and Test Suites

We used four open-source programs (obtained from the GNU FTP server [13]) written in the C language: FLEX, GREP, SED, and GZIP. The FLEX program is a lexical analysis generator; GREP and SED are widely-used command-line tools for searching and processing text-matching regular expressions; and GZIP is a compression utility. Each program has six versions. These programs have been widely used in TCP research [2, 9, 12, 14, 15].

Table I presents details of the subject programs, including version number, year of release, size in uncommented lines of code (measured by cloc [16]), and the number of seeded faults. The table also includes the parameter-level model for each program (from Petke et al. [9]), and the number of ATCs. These test pools of ATCs are available from the Software

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Algorithm 1: FICBP algorithm.

Input: T \( \lambda \) \( \triangleright \) Unordered ATCs \( \triangleright \) Prioritization strength
Output: S \( \triangleright \) Prioritized ATCs
1: S \( \leftarrow \{\} \)
2: while \(|T| > 0\) do
3: \(\triangleright \) if \(|T| > 1\) then
4: \(\triangleright \) Select tc \( \in T\), where \(\max(\Psi(1, tc) \cup \Psi(1, S))\)
5: \(\triangleright \) take a random one in case of equality
6: \(S.add(tc)\)
7: \(T \leftarrow T \setminus \{tc\}\)
8: else \(\triangleright \) S.add(tc), where tc \( \in T\)
9: \(T \leftarrow \{\} \)
10: end if
11: end while
12: return S
TABLE I

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C. Results and Discussion

This section presents some results from comparing the testing effectiveness and efficiency among the FICBP techniques with different prioritization strengths (\(\lambda\)). Based on the results, we also offer some guidelines for testers using FICBP to prioritize ATCs. For ease of presentation, the notation \(\lambda W\) is used to abbreviate FICBP with prioritization strength \(\lambda\) (for example, 4W represents the FICBP technique with \(\lambda = 4\)).

1) Efficacy Observations: For the evaluation metrics of testing efficacy, we consider two widely-used metrics: (a) Average Percentage of \(\lambda\)-wise Combinations Covered (APCC) [9], and (b) Average Percentage of Faults Detected (APFD) [12]. Since the strength \(\lambda\) is a parameter required for APCC, in this paper we consider the average APCC values by considering \(\lambda\) values from 1 to 6, namely Average APCC (AvgAPCC) [19].

Figure 1 shows the effectiveness results of FICBPs with different prioritization strengths for programs FLEX, GREP, SED, and GZIP, respectively. Each program contains two subfigures: the first being the AvgAPCC results, and the second, APFD. Each box plot shows the mean (square in the box), median (line in the box), upper and lower quartile, and min/max AvgAPCC or APFD values for the prioritization technique. In each figure, the dashed line with squared points connects the mean values.

The experimental results show that different FICBP techniques have different performances for different subject programs. We next attempt to summarize some common observations from all subject programs.

- As the prioritization strength \(\lambda\) increases from 1 to \(k\) (the maximum number of parameters), the AvgAPCC results can generally be divided into three parts: increasing; fluctuating; and decreasing. Formally, two strengths can be considered the turning points \(\tau_1\) and \(\tau_2\), where \(1 \leq \tau_1 \leq \tau_2 \leq k\). This gives the three intervals corresponding to the three trends: \([1, \tau_1]\), \([\tau_1, \tau_2]\), and \([\tau_2, k]\). Considering two prioritization strengths \(\lambda_1, \lambda_2\) for FICBP, where \(1 \leq \lambda_1 < \lambda_2 \leq k\), the following trends can be identified:

\[
\begin{align*}
\lambda_1 W & \text{ is worse than } \lambda_2 W, \quad \text{if } 1 \leq \lambda_1 < \lambda_2 \leq \tau_1; \\
\lambda_1 W & \text{ is similar to } \lambda_2 W, \quad \text{if } \tau_1 \leq \lambda_1 < \lambda_2 \leq \tau_2; \\
\lambda_1 W & \text{ is better than } \lambda_2 W, \quad \text{if } \tau_2 \leq \lambda_1 < \lambda_2 \leq k.
\end{align*}
\]

The values of \(\tau_1\) and \(\tau_2\) vary for different programs: With GREP, for example, \(\tau_1\) is equal to 4, and \(\tau_2\) is equal to 7; while for SED, \(\tau_1\) equals to 4, and \(\tau_2\) equals to 9.

- The APFD situation is similar to that of AvgAPCC, with the following two differences:

  - Different turning points \((\tau_1, \tau_2)\) values are obtained compared with AvgAPCC. For example, with GREP, \(\tau_1\) is equal to 3 while \(\tau_2\) is equal to 8. Generally speaking, the APFD \([\tau_1, \tau_2]\) interval is larger than that in AvgAPCC, which means that the fluctuating trend represents a larger proportion of the entire interval \([1, k]\).

  - Compared with AvgAPCC, the differences between highest and lowest APFDs appear less.

Figure 2 shows the ranking of the FICBP techniques with respect to the AvgAPCC and APFD, where each number represents the prioritization strength. Each subfigure in Figure 2 contains some hexagons: FICBP techniques with no significant difference (according to the \(p\)-values [20]) are in the same hexagon, and those with significant differences are in different hexagons. Additionally, the FICBPs with prioritization strengths from left to right become worse (as evaluated by the effect size \(A_{12}\) measure [20]), regardless of whether they are in the same or different hexagons. Consider, for example, the APFD results for GREP (Figure 2(b)): two ordered sets are in the first two hexagons: \(O_1 = \{5, 6\}\) and \(O_2 = \{6, 7, 2, 3\}\). The difference between 5W and 6W in \(O_1\) is not statistically significant, nor is the difference between any two FICBPs in \(O_2\). Furthermore, 5W performs better than 6W, and 6W is better than 7W, 2W, and 3W. From these figures, we have the following observations:

- According to the AvgAPCC results, the FICBP with the highest prioritization strength \((\lambda = k)\) generally has the worst performance; and the FICBP with the lowest
prioritization strength \((\lambda = 1)\) has the second worst. The results are similar for APFD: FICBP techniques with \(\lambda = 1\) and \(\lambda = k\) generally have the two worst performances — an exception being for GZIP, for which 13W is the second worst, and 1W is actually the second best.

- In most cases, the FICBP techniques generally have the best (or close to best) performance, in terms of both AvgAPCC and APFD, when the prioritization strength \(\lambda\) is approximately equal to \(\lceil \frac{k}{2} \rceil\). For example, for FLEX and GREP with \(k = 9\), the FICBP techniques 5W or 6W are generally the best performers, for both AvgAPCC and APFD. For SED with \(k = 11\), 5W has the best AvgAPCC performance, and is in the top four in terms of APFD (it should also be noted that there is no statistically significant difference amongst the best five FICBP techniques for APFD). For GZIP \((k = 14)\), 7W, 8W, and 9W are in the top three techniques in terms of AvgAPCC, and are in the top seven in terms of APFD (there is effectively no statistically significant difference among the top eight techniques for APFD).

To answer RQ1, the prioritization strength is recommended to be set at approximately \(\lceil \frac{k}{2} \rceil\).

2) Efficiency Observations: Table II presents the prioritization cost of each FICBP technique for each subject program. Each cell in the table is a pair \(\mu / \rho\), where \(\mu\) is the mean execution time, and \(\rho\) is standard deviation (calculated over the 100 independent runs performed per technique). It can be observed from the table that there is a turning point \(\tau\) satisfying the following:

- For two prioritization strengths \(\lambda_1\) and \(\lambda_2\) (where \(1 \leq \lambda_1 < \lambda_2 \leq k\)), when \(1 \leq \lambda_1 < \lambda_2 \leq \tau\), the prioritization cost for \(\lambda_2 W\) is greater than that for \(\lambda_1 W\).
- When \(\tau \leq \lambda_1 \leq \lambda_2 \leq k\), \(\lambda_1 W\) has a higher prioritization cost than \(\lambda_2 W\).

According to the mean prioritization time, \(\mu\), the turning point \(\tau\) is generally equal to about half of the number of parameters: \(\tau = \lceil \frac{k}{2} \rceil\). In other words, when \(\lambda = \tau\), the prioritization time of \(\lambda W\) is highest. Moreover, FICBP with \(\lambda = k\) generally requires the least prioritization time among all possible prioritization strengths, with 1W requiring the second least.

Even though the prioritization time of \(\lceil \frac{k}{2} \rceil W\) is the highest, it still actually only requires a few seconds. 5W, for example, only takes 0.452 and 0.41 seconds for FLEX and GREP, respectively; 7W requires approximately 4 seconds with SED.
and 6W requires 1.1 seconds for GZIP. In other words, FICBP with $\lambda = \left\lceil \frac{k}{2} \right\rceil$ seems comparable to that with other prioritization strengths for practical testing, according to the prioritization costs.

Based on these results and discussions, the answer to RQ2, therefore, is that no FICBP technique has the best testing effectiveness and efficiency. In other words, testing effectiveness and efficiency results seem contradictory when applying the FICBP technique to the prioritization of ATCs. Nonetheless, the FICBP techniques with the best testing effectiveness require comparable prioritization time to other FICBP techniques, allowing us to conclude that they are the most cost-effective, especially when testing resources (such as prioritization cost) are not limited.

In conclusion, when applying the FICBP technique to prioritize ATCs, we recommend setting the prioritization strength $\lambda$ to approximately $\left\lceil \frac{k}{2} \right\rceil$ when testing resources are sufficient. However, when testing resources are limited, a small or high prioritization strength is suggested for FICBP.

### IV. Threats to Validity

In spite of our best efforts, our experiments may face some threats to validity. There are three potential threats to the external validity, listed as follows:

1) **Subject Program Threat**: We only examined four subject programs in this study, written in the C language, each of which being of a relatively medium size. However, the programs are all relatively small with respect to the number of parameters. Nevertheless, all the programs were obtained from a well-studied repository [13]. As discussed by Petke et al. [9], constraints could significantly reduce the number of parameters in the SUT. In other words, when the SUT contains a large number of parameters, constraints could be adopted to remove many of them. Therefore, when testing an SUT with many parameters, conclusions obtained from this study could also be relevant.

2) **ATC Threat**: We used the test suite of ATCs obtained from the SIR [17], for each program. These test suites were constructed using the Test Specification Language (TSL) [21]. There are many other types of ATC sets in the field of combinatorial testing [4], including covering arrays [22], that could be constructed by many popular tools such as Covering Arrays by Simulated Annealing (CASA) [23].

3) **Randomness Threat**: Since FICBP contains some randomness, we ran all techniques 100 times, and also adopted inferential statistics to compare the results. This should minimize the validity threats related to the randomness.

In addition to the steps taken to address the potential threats to validity, further studies will be conducted in the future using more programs with more parameters, and more ATC test suites.

### V. Conclusions and Future Work

ATCP aims at achieving higher rates of fault detection, and has been widely used to prioritize ATCs that are derived by modeling the system under test. One well-known method of ATCP is the fixed-strength interaction coverage based prioritization (FICBP), which chooses an element from the candidates as the next ATC such that it covers the largest number of fixed-strength level combinations that have not yet been covered by previously selected ATCs. It requires a fixed strength as the input, namely prioritization strength. Previous studies have generally used prioritization strengths ranging in value from 1 to 6. To the best of our knowledge, however, no other study has yet examined whether or not these values are most appropriate. In this paper, we have attempted to answer this question. Based on our experimental results, we have the following observations:

- As $\lambda$ increases, the FICBP testing effectiveness generally increases, then reaches a peak, and then fluctuates around the peak. After this, the effectiveness generally decreases.
- The FICBP techniques generally have worst performance when $\lambda = 1$ and $\lambda = k$, where $k$ is the number of parameters that influence the system under test, regardless of the rates of interaction coverage and fault detection.
- If testers attempt to apply FICBP to the prioritization of ATCs, it is recommended that they set the prioritization strength $\lambda$ to be approximately equal to half of the number of parameters, i.e., $\lambda = \left\lceil \frac{k}{2} \right\rceil$, where $k$ is the number of parameters, especially when testing resources are not limited. However, when testing resources are not sufficient, a small or large prioritization strength is recommended.

The $\tau$-wise covering array [22] is a special set of ATCs that covers all valid $\tau$-wise level combinations, where $\tau$ is called the generation strength. As discussed in this paper, the prioritization strength is used in FICBP. Therefore, it is very promising to investigate the relationship between the generation strength and prioritization strength, which would provide some helpful insights for combinatorial testing users when using FICBP to prioritize covering arrays.

### ACKNOWLEDGMENT

We would like to thank Christopher Henard for providing us the fault data for the four subject programs. This work is supported by the National Natural Science Foundation of China.

### Table II

<table>
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